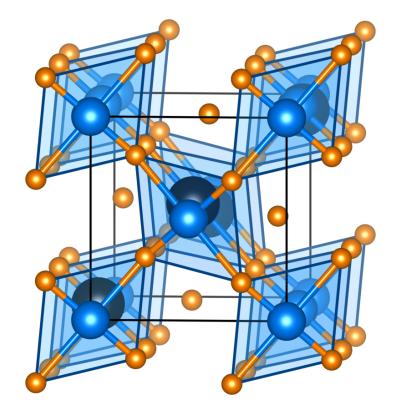
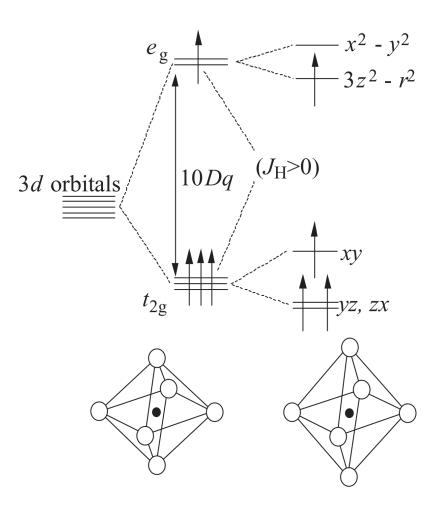
Correlations and the Hubbard model: LaMnO₃

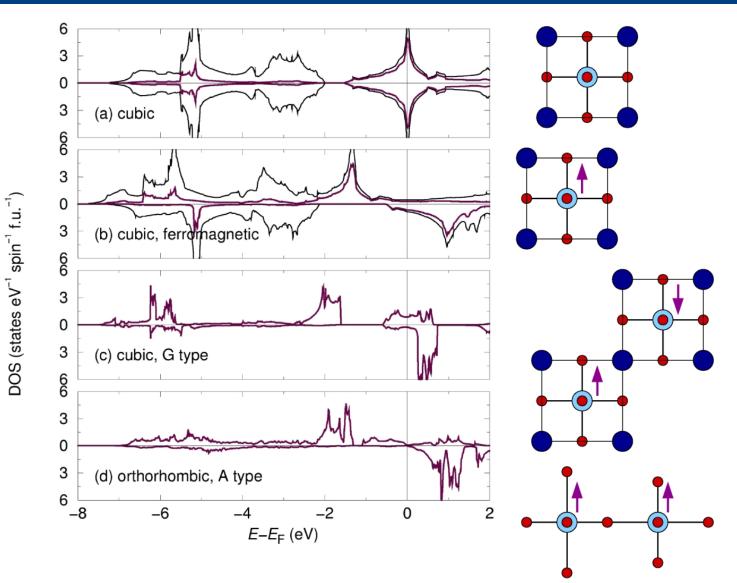


Jahn-Teller distorted orthorhombic perovskite (space group *Pnma*)





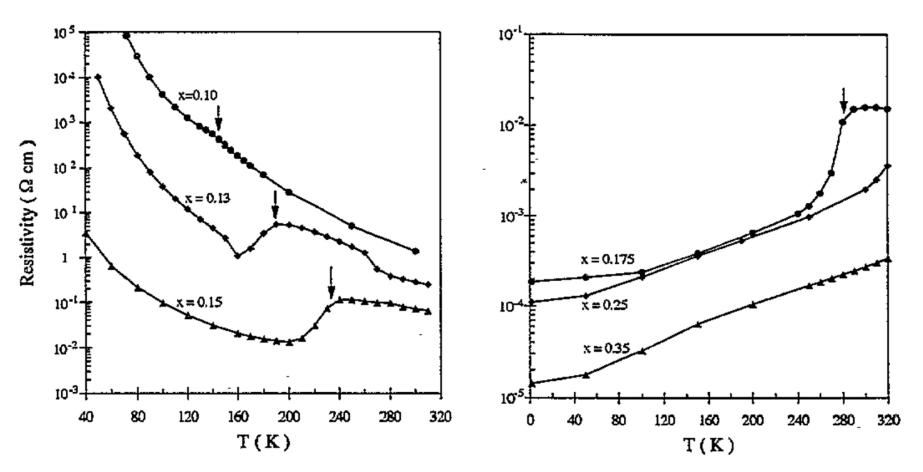
Correlations and the Hubbard model: LaMnO₃



Structure and magnetism do not explain the insulating behavior.



Correlations and the Hubbard model: LaMnO₃

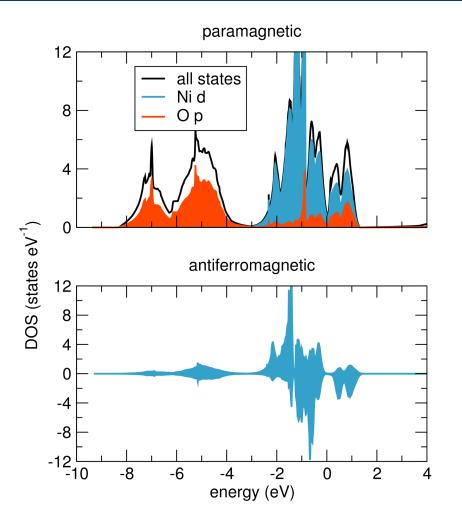


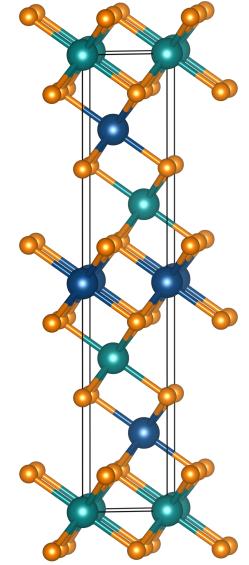
Electrical resistivity behavior in La_{1-x}Sr_xMnO₃

Anane, Dupast, Dang, Renard, Veillet, de Leon Guevare, Millot, Pinsard, Revcolevschi, J. Phys.: Condens. Matter **7** (1995)7015-7021.



Correlations and the Hubbard model: NiO



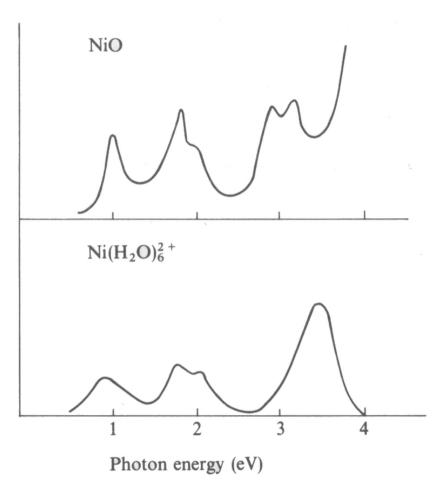


NiO displays the color of isolated Ni²⁺ in solution, with similar spectra.



Correlations and the Hubbard model: NiO



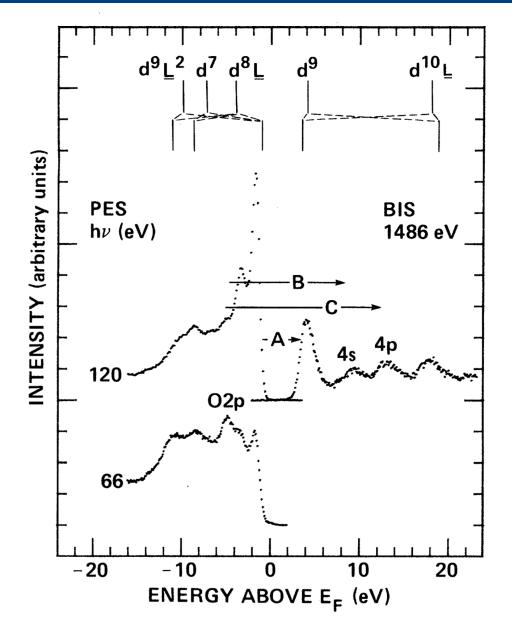


From the Cox text, page 151

NiO displays the color of isolated Ni²⁺ in solution, with similar spectra.

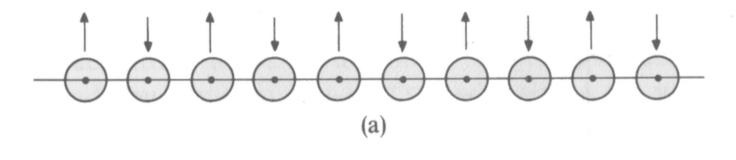


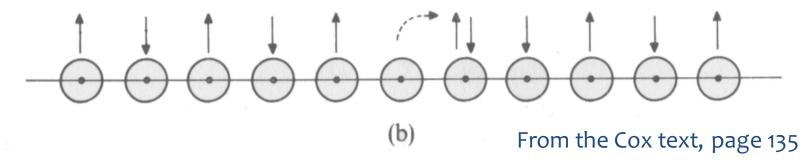
Correlations and the Hubbard model: NiO, spectroscopic studies





Correlations and the Hubbard model: The idea of Mott





Consider a chain of orbitals, each with one electron. To hop an electron, an orbital has to be ionized at cost *I*, which is compensated a little by the electron affinity A.

U = I - A

For H atoms, I = 13.6 eV and A = 0.8 eV, meaning U = 12.8 eV. However, this does not account for some screening (due to the dielectric not being vacuum).

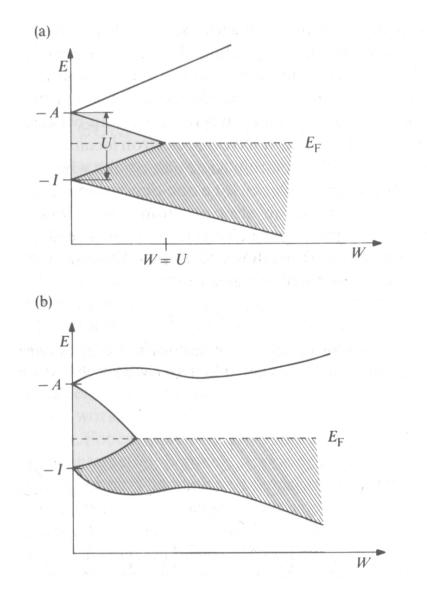


 $H = -t \sum_{i,\sigma} (c_{i,\sigma}^{\dagger} c_{j,\sigma} + c_{j,\sigma}^{\dagger} c_{i,\sigma}) + U \sum n_{i\uparrow} n_{i\downarrow}$ i=1 $< i, j >, \sigma$ hopping or tight-binding (LCAO) part doubleoccupancy cost or on-site

repulsion



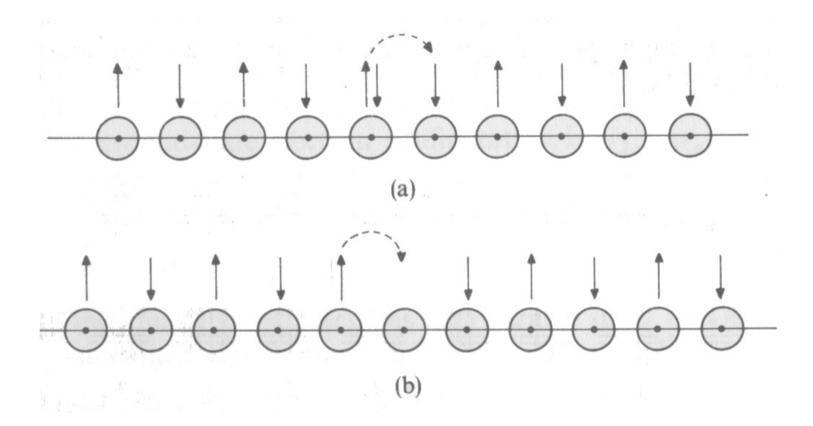
Correlations and the Hubbard model: The Hamiltonian



As the bandwidth is increased, (or as the atoms approach closer) the gap can close.

From the Cox text, page 137





Doping of holes (removal of electrons) as in (b) makes hopping much easier, with the on-site repulsion having been removed.

From the Cox text, page 149

